

Meteorology both masks and magnifies the aerosol-cloud radiative effect

Ian Glenn^{1,2}

Graham Feingold², Jake Gristey^{1,2}

Takanobu Yamaguchi^{1,2}



¹Cooperative Institute for Research in Environmental Sciences, (CIRES) University of Colorado, Boulder, CO, USA

²Chemical Sciences Division, **NOAA** Earth System Research Laboratory, Boulder, CO, USA

Funding: BER/DOE Grant # DE-SC0016275

LES ARM Symbiotic Simulation and Observation (LASSO)

- Complement mega-site observations with routine large eddy simulation (LES)
- Support community study of atmospheric processes and evaluation of parameterizations (Gustafson, Vogelmann et al.)
- **We have used LASSO and additional observations to study aerosol-cloud-radiation variability**



U.S. DEPARTMENT OF
ENERGY

Office of
Science



What are the radiative consequences of **aerosol co-variability** with **cloud**?



Many bright clouds? Few, dim clouds?

- Understanding the shortwave radiative effect of shallow clouds over land is important for climate change science and solar power
- **Aerosol perturbations** can cause variation in cloud drop number, changing the brightness of clouds (Twomey effect)
- **Meteorology** also changes cloud brightness
- Here we look at co-variability between meteorological drivers of cloud albedo

Poster #32 Wednesday 5:00 – 6:30 p.m.

Surface **aerosol**
concentration
tendency



LASSO+N_A
16 re-simulations



Re-analysis
meteorological
forcing



Does **aerosol** and “**meteorological**”
co-variation **mask** or **magnify** the
radiative effect of cloud droplet
number perturbations?



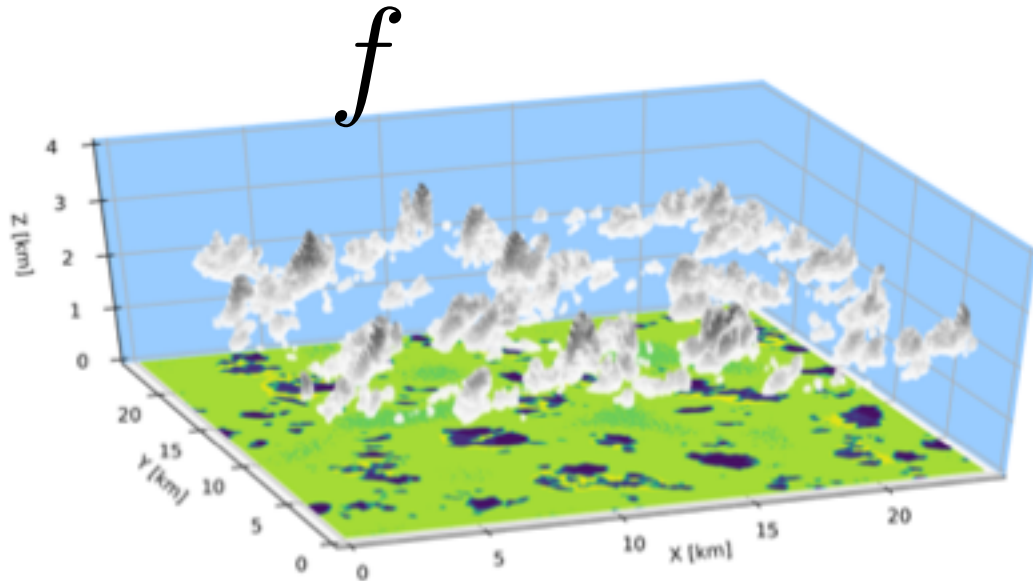
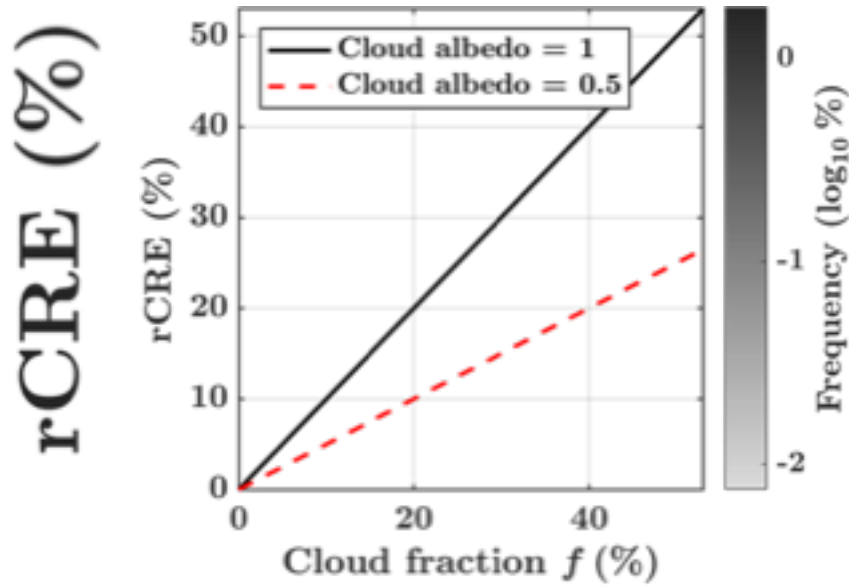
$$\text{rCRE} = f \cdot A ,$$

For shortwave (solar) radiation, the **relative Cloud Radiative Effect (rCRE)** is approximately equal to the **cloud fraction, f** , times the **cloud albedo, A**
(Xie et al. 2014)

$$\text{rCRE} = f \cdot A,$$

For shortwave (solar) radiation, the **relative Cloud Radiative Effect (rCRE)**

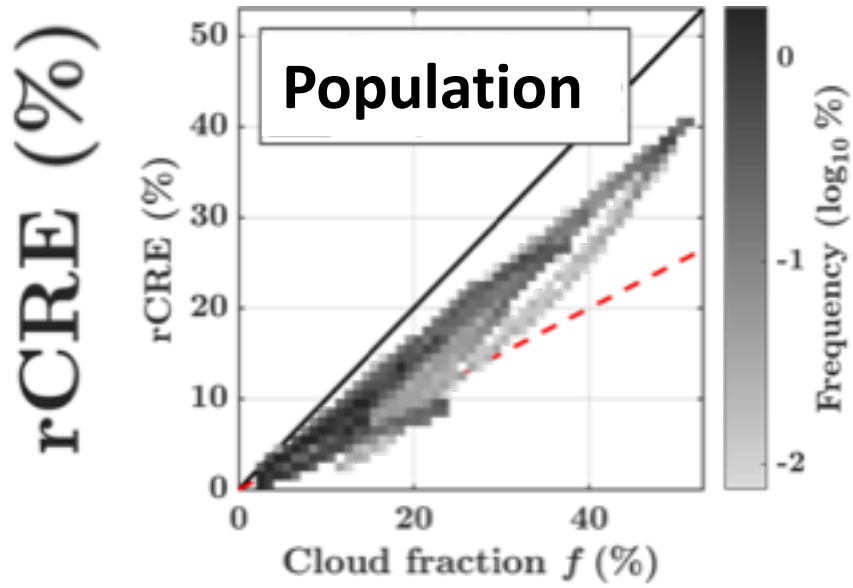
is approximately equal to the **cloud fraction, f** , times the **cloud albedo, A**
(Xie et al. 2014)



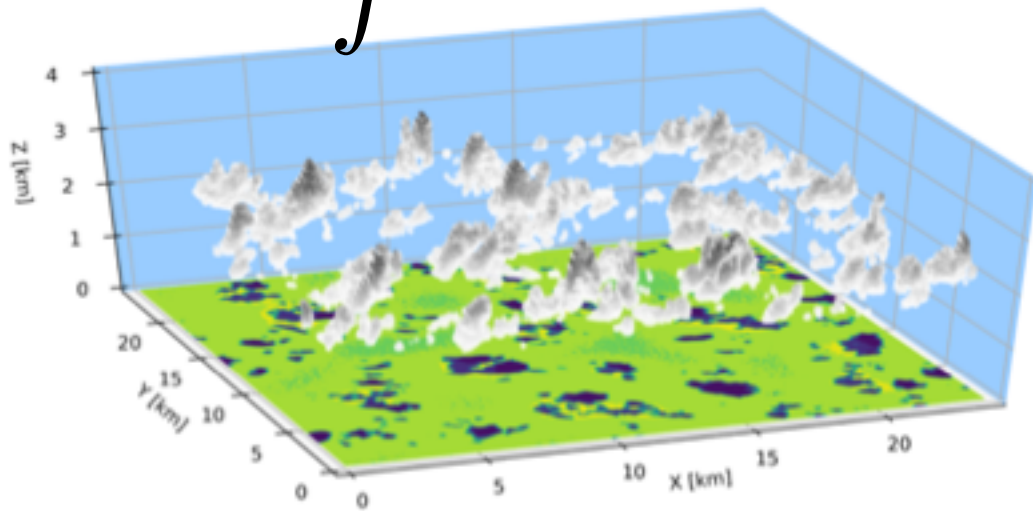
f

$$rCRE = f \cdot \mathcal{A}, \quad \mathcal{A} \simeq \mathcal{A}(L, N)$$

A = Cloud Albedo
L = Liquid Water Path
N = Number of Cloud droplets

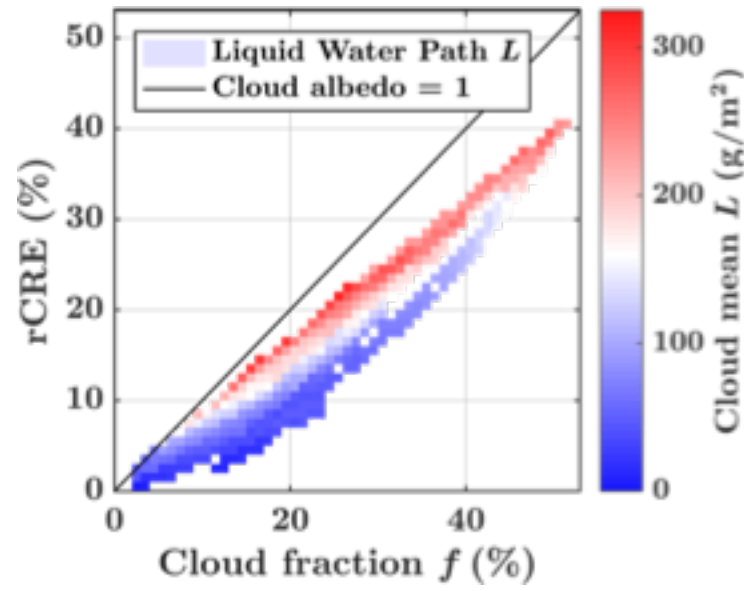
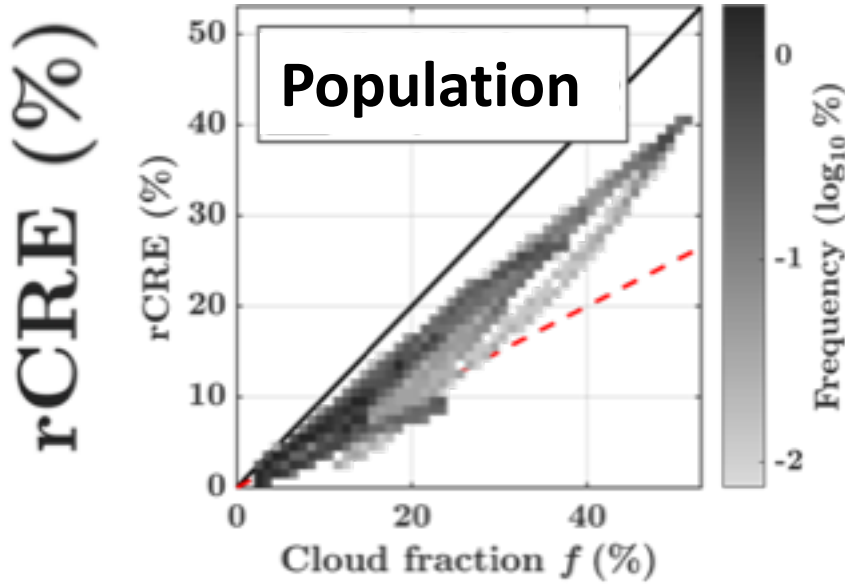


f

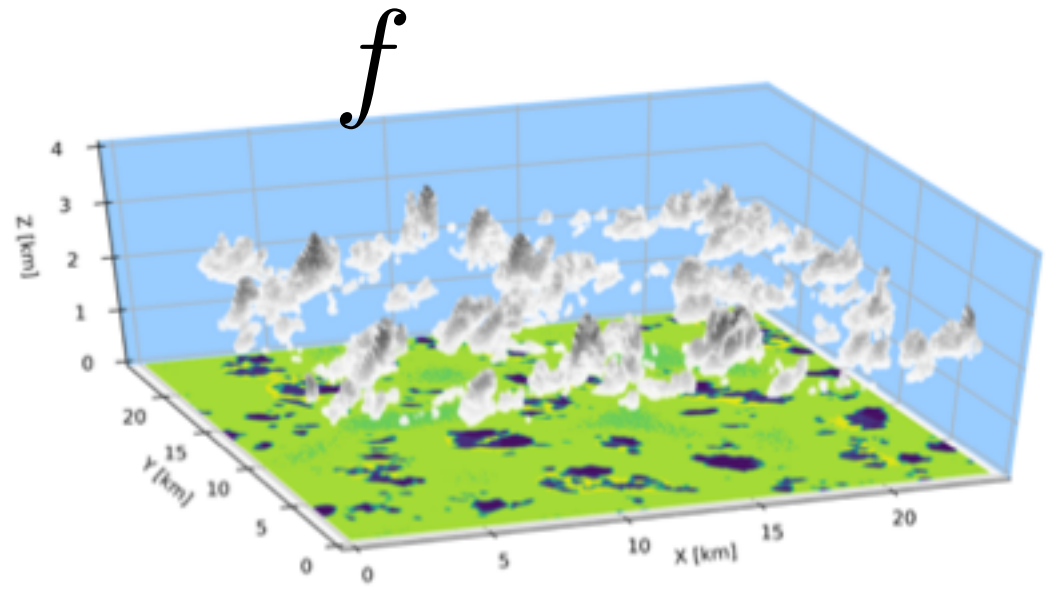


$$rCRE = f \cdot A, \quad A \simeq A(L, N)$$

A = Cloud Albedo
L = Liquid Water Path
N = Number of Cloud droplets

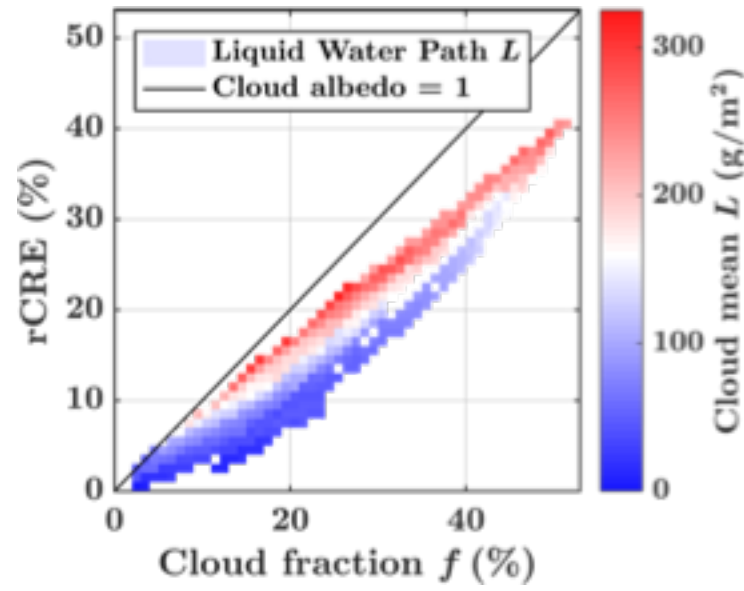
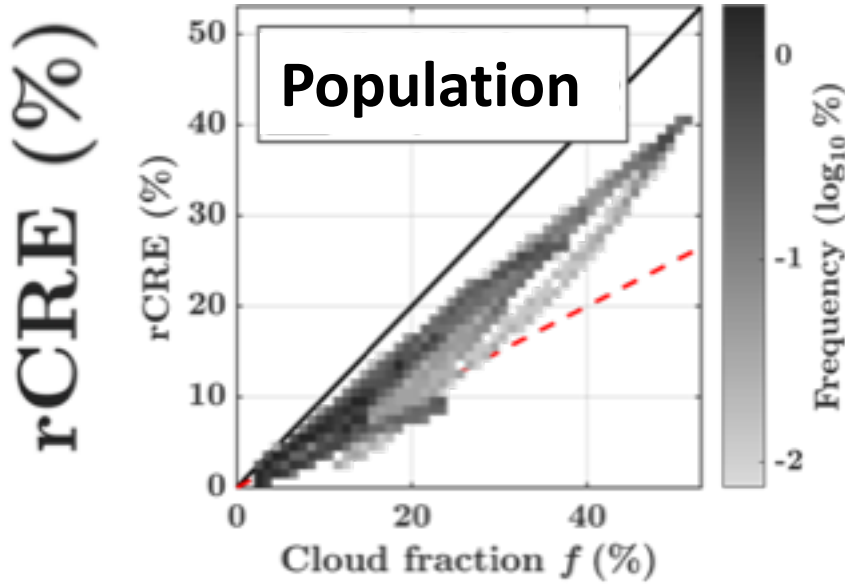


L

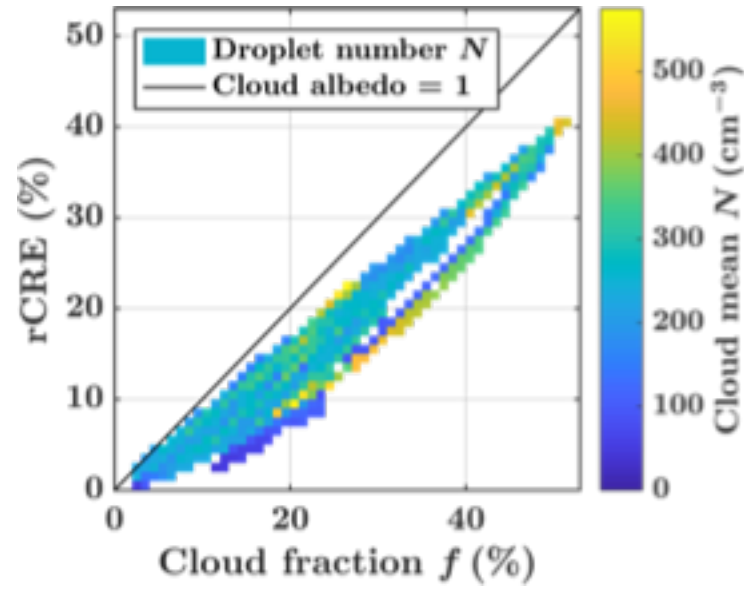
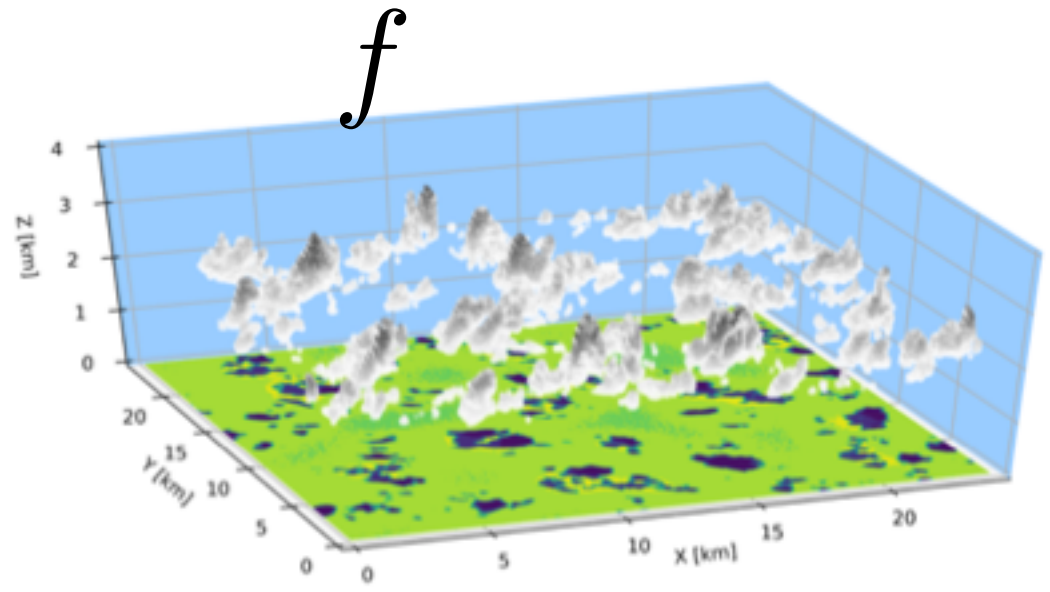


$$rCRE = f \cdot A, \quad A \simeq A(L, N)$$

A = Cloud Albedo
L = Liquid Water Path
N = Number of Cloud droplets



L



N

rCRE Budget

$$\text{rCRE} = f \cdot \mathcal{A} \quad , \quad \mathcal{A}(L, N)$$

Budget analysis:

How does rCRE change as
cloud drop number N
changes?

rCRE Budget

$$\text{rCRE} = f \cdot \mathcal{A} \quad , \quad \mathcal{A}(L, N)$$

Budget analysis:

How does rCRE change as cloud drop number N changes?

$$\ln(\text{rCRE}) = \ln f + \ln A$$

$$\frac{d \ln \text{rCRE}}{d \ln N} =$$

rCRE Budget

$$\text{rCRE} = f \cdot \mathcal{A}, \quad \mathcal{A}(L, N)$$

Change in rCRE with change in N = Radiative effect of drop Number variation (Twomey Effect) + Radiative effect of LWP variation + Radiative effect of cloud fraction variation

$$\frac{d \ln \text{rCRE}}{d \ln N} = \frac{\partial \ln \mathcal{A}}{\partial \ln N} + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N} + \frac{d \ln f}{d \ln N}$$

rCRE Budget

$$\text{rCRE} = f \cdot \mathcal{A}, \quad \mathcal{A}(L, N)$$

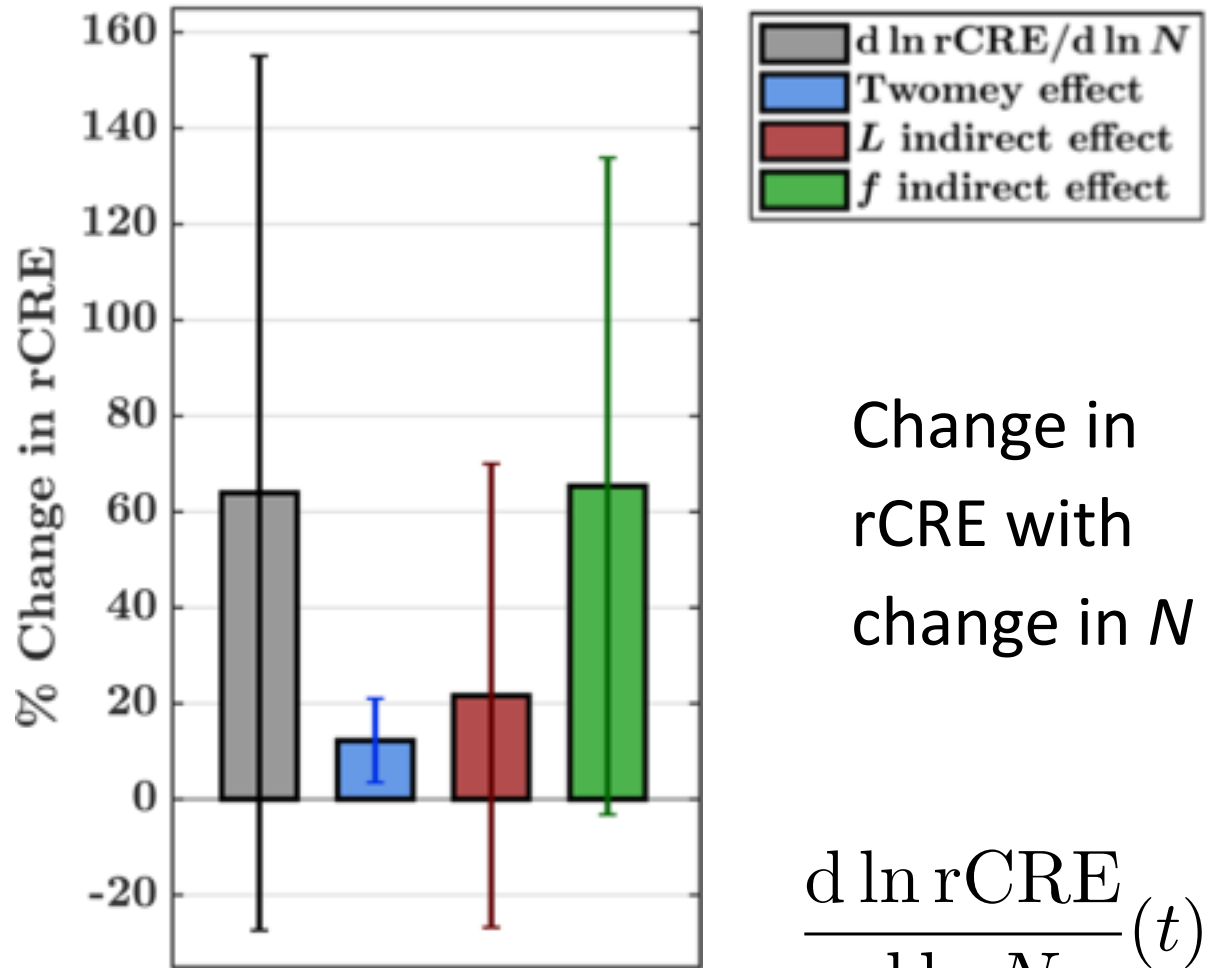
Temporal Numerical
Differentiation
(*Numerical Recipes*, 2007)

Timescale of variation
 ~ 1 hour

$$\frac{d \ln \text{rCRE}}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$

rCRE Budget

16 days LASSO shallow cumulus



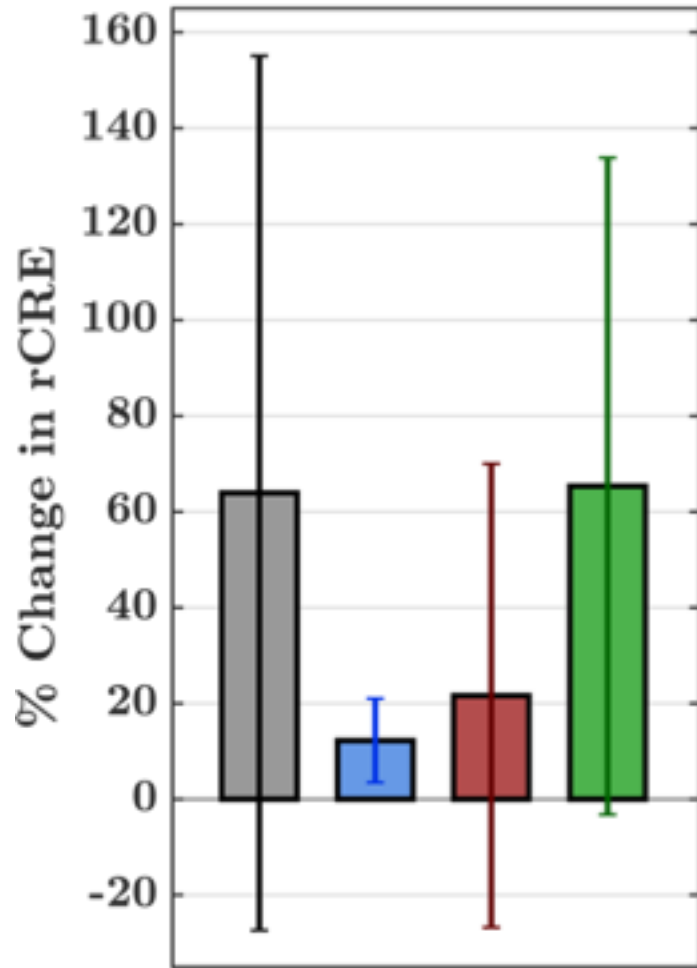
Bar = Mean
Whisker +/- 1.5 Std. Dev.

Change in rCRE with change in N = Radiative effect of drop Number variation (Twomey Effect) + ...

$$\frac{d \ln rCRE}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$

rCRE Budget

16 days LASSO shallow cumulus



1. The radiative effect of an N perturbation is magnified by concurrent changes in cloud fraction f
2. The concurrent L response is sometimes positive, sometimes negative - magnifying or masking N

$$\frac{d \ln rCRE}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$

Mutual Information:

We use an independent analysis called Mutual information (**MI**) to quantify how much rCRE variability is explained by different variables (Shannon 1949)

$$\text{MI}(y, x) = \sum_X \sum_Y p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

MI tells us:

Which variable **x** is best at explaining **y**?

CMI tells us:

Which pair (**x,z**) is best at explaining **y**?

$$\text{CMI}(y, x|z) = \sum_X \sum_Y \sum_Z p(x, y, z) \log \frac{p(z) \cdot p(x, y, z)}{p(x, z) \cdot p(y, z)}$$

Mutual Information:

MI :: rCRE $\leftrightarrow f_c = 65\%$

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

Mutual Information:

$$\text{MI} :: \text{rCRE} \leftrightarrow f_c = 65\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow L_c = 34\%$$

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

Mutual Information:

$$\text{MI} :: \text{rCRE} \leftrightarrow f_c = 65\%$$


$$\text{MI} :: \text{rCRE} \leftrightarrow L_c = 34\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow N_c = 18\%$$

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$


Mutual Information:

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

$$\text{MI} :: \text{rCRE} \leftrightarrow f_c = 65\%$$


$$\text{CMI}(y, x|z) = \sum_X \sum_Y \sum_Z p(x, y, z) \log \frac{p(z) \cdot p(x, y, z)}{p(x, z) \cdot p(y, z)}$$

$$\text{CMI}(\text{rCRE}, f|L) = 71\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow L_c = 34\%$$


$$\text{MI} :: \text{rCRE} \leftrightarrow N_c = 18\%$$

Mutual Information:

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

$$\text{MI} :: \text{rCRE} \leftrightarrow f_c = 65\%$$

$$\text{CMI}(y, x|z) = \sum_X \sum_Y \sum_Z p(x, y, z) \log \frac{p(z) \cdot p(x, y, z)}{p(x, z) \cdot p(y, z)}$$

$$\text{CMI}(\text{rCRE}, f|L) = 71\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow L_c = 34\%$$

$$\text{CMI}(\text{rCRE}, L|N) = 65\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow N_c = 18\%$$

Mutual Information:

$$\text{MI}(x, y) = \sum p(x, y) \log \frac{p(x, y)}{p(x) \cdot p(y)}$$

$$\text{MI} :: \text{rCRE} \leftrightarrow f_c = 65\%$$

$$\text{CMI}(y, x|z) = \sum_X \sum_Y \sum_Z p(x, y, z) \log \frac{p(z) \cdot p(x, y, z)}{p(x, z) \cdot p(y, z)}$$

$$\text{CMI}(\text{rCRE}, f|L) = 71\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow L_c = 34\%$$

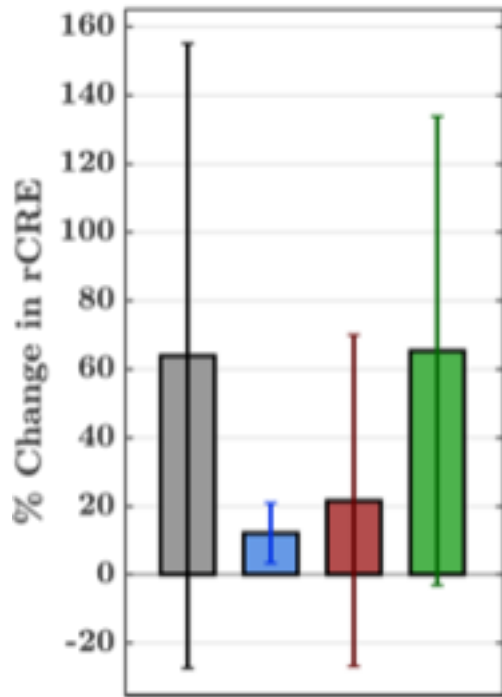
$$\text{CMI}(\text{rCRE}, L|N) = 65\%$$

$$\text{MI} :: \text{rCRE} \leftrightarrow N_c = 18\%$$

$$\text{CMI}(\text{rCRE}, f|N) = 80\%$$

Explanation?

rCRE Budget



The role of N is small compared to f and L

Mutual Information:

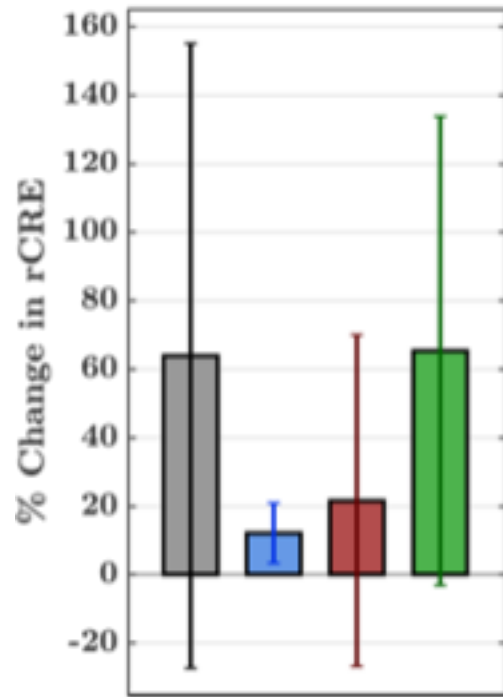
The role of N is larger than the role of L

$$\text{CMI}(\text{rCRE}, f | N) = 80\%$$

$$\frac{d \ln \text{rCRE}}{d \ln N} = \frac{\partial \ln \mathcal{A}}{\partial \ln N} + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N} + \frac{d \ln f}{d \ln N}$$

Co-variability between terms

rCRE Budget



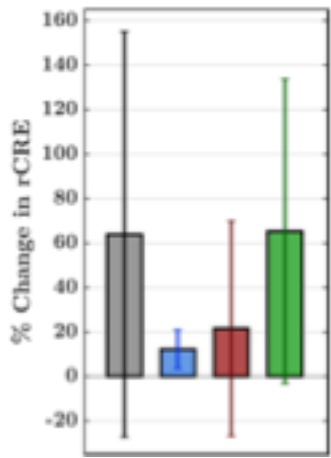
The role of N is small compared to f and L

Mutual Information:

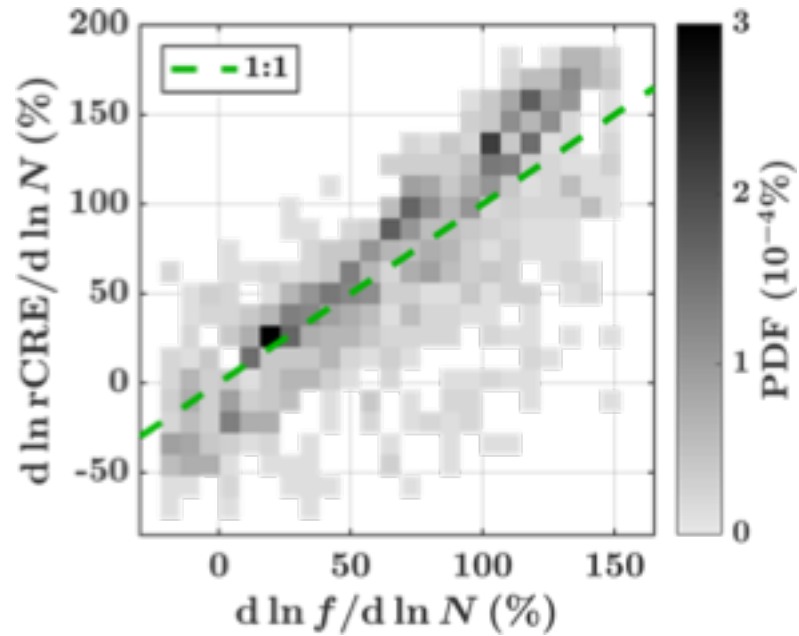
The role of N is larger than the role of L

$$\text{CMI}(\text{rCRE}, f | N) = 80\%$$

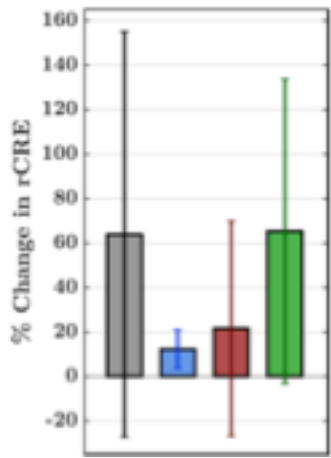
$$\frac{d \ln \text{rCRE}}{d \ln N} = \frac{\partial \ln \mathcal{A}}{\partial \ln N} + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N} + \frac{d \ln f}{d \ln N}$$



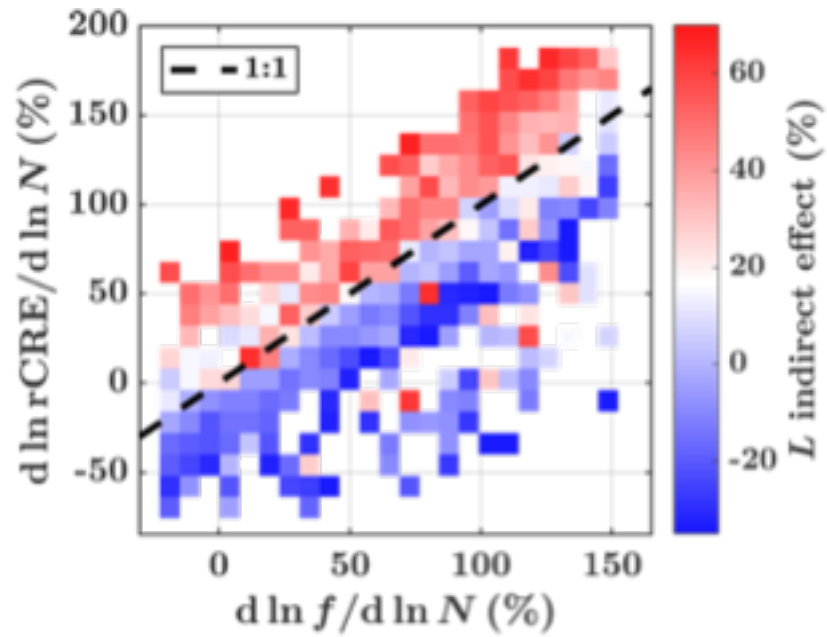
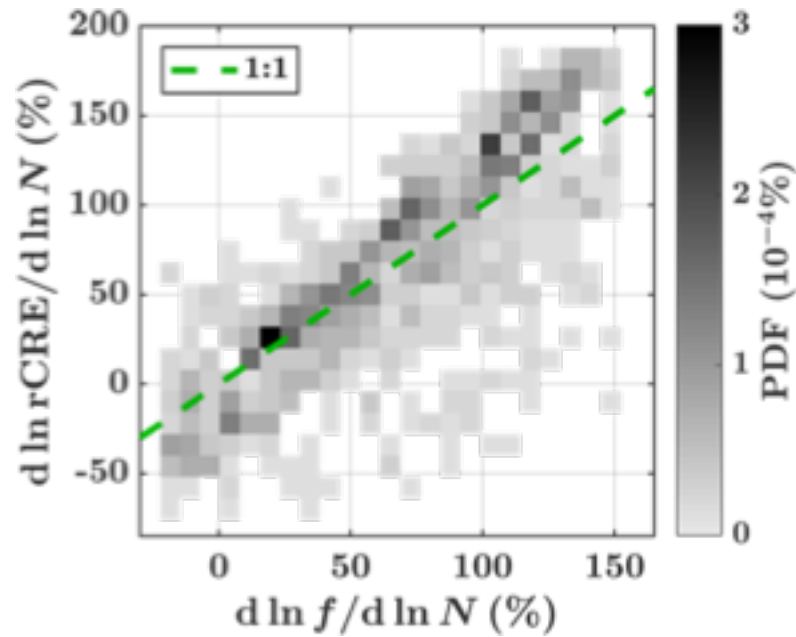
$$\frac{d \ln r\text{CRE}}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$



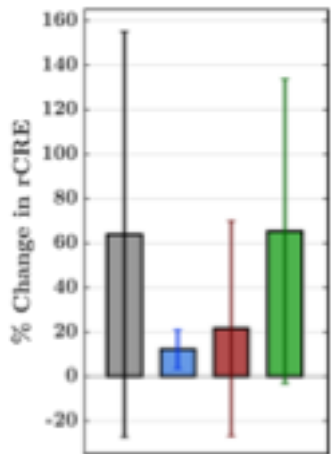
$$\frac{d \ln f}{d \ln N}$$



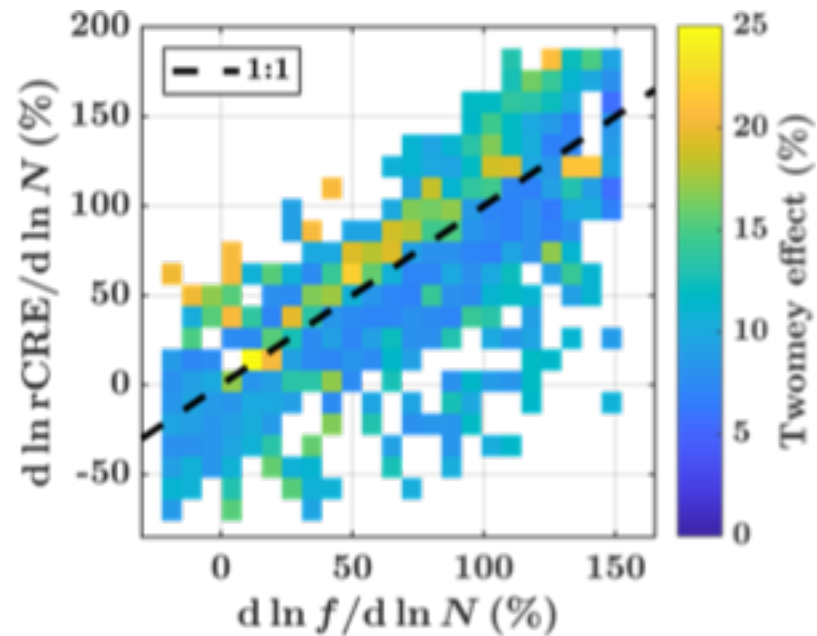
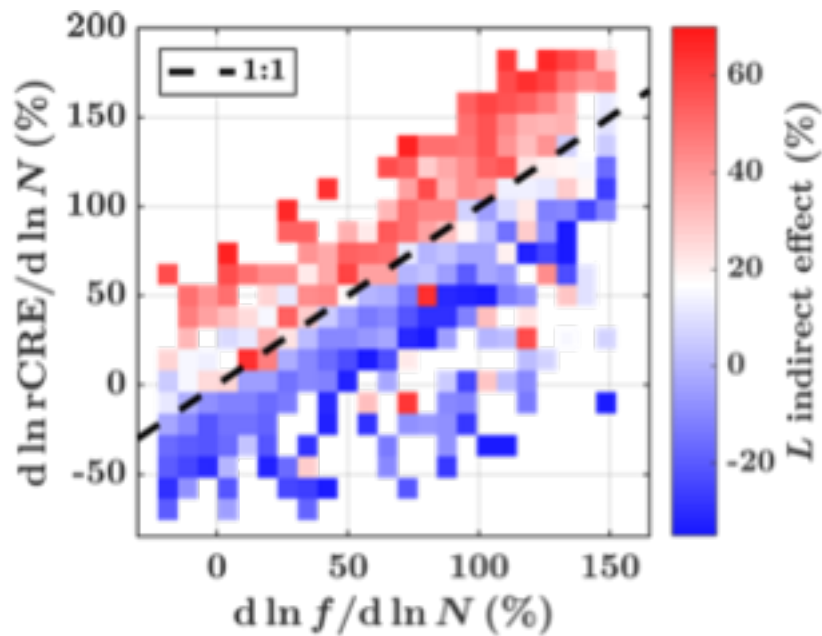
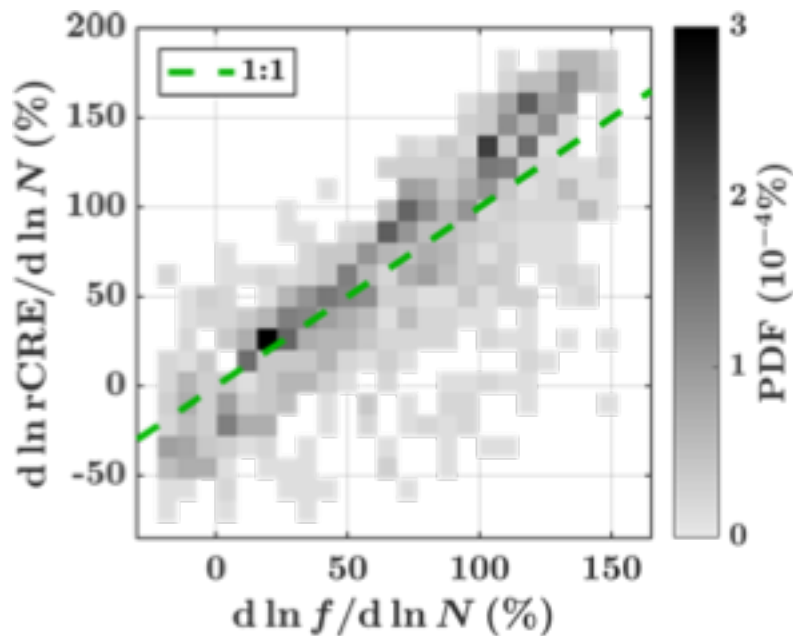
$$\frac{d \ln rCRE}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$



$$\frac{d \ln f}{d \ln N}$$



$$\frac{d \ln rCRE}{d \ln N}(t) = \frac{\partial \ln \mathcal{A}}{\partial \ln N}(t) + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N}(t) + \frac{d \ln f}{d \ln N}(t)$$



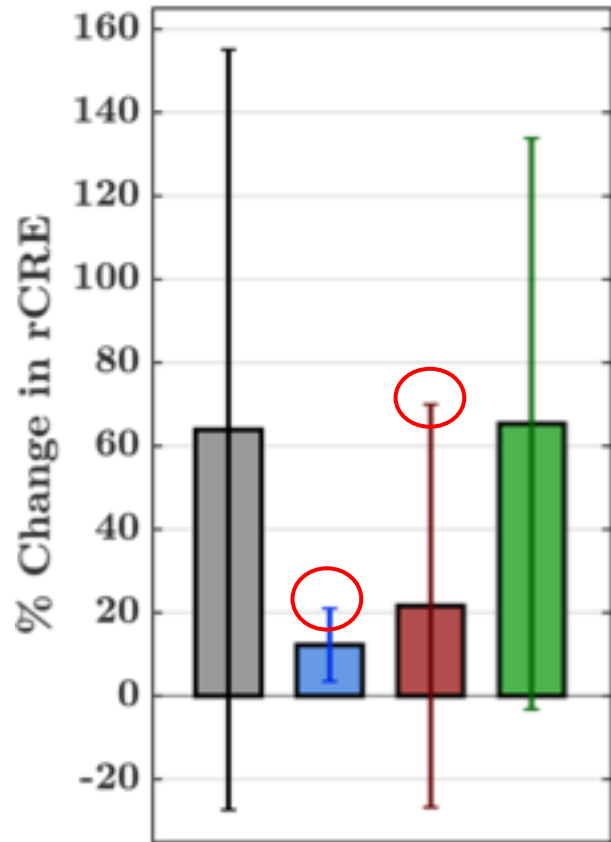
$$\frac{d \ln f}{d \ln N}$$

Summary:

Magnifying the radiative effect

(Most common case)

A given N perturbation is able to increase the albedo a relatively **large** amount. The L response is **positive**.



$$\frac{d \ln rCRE}{d \ln N} = \frac{\partial \ln \mathcal{A}}{\partial \ln N} + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N} + \frac{d \ln f}{d \ln N}$$

$$\text{CMI (rCRE, } f) \mid N = 80\%$$

Summary:

Magnifying the radiative effect

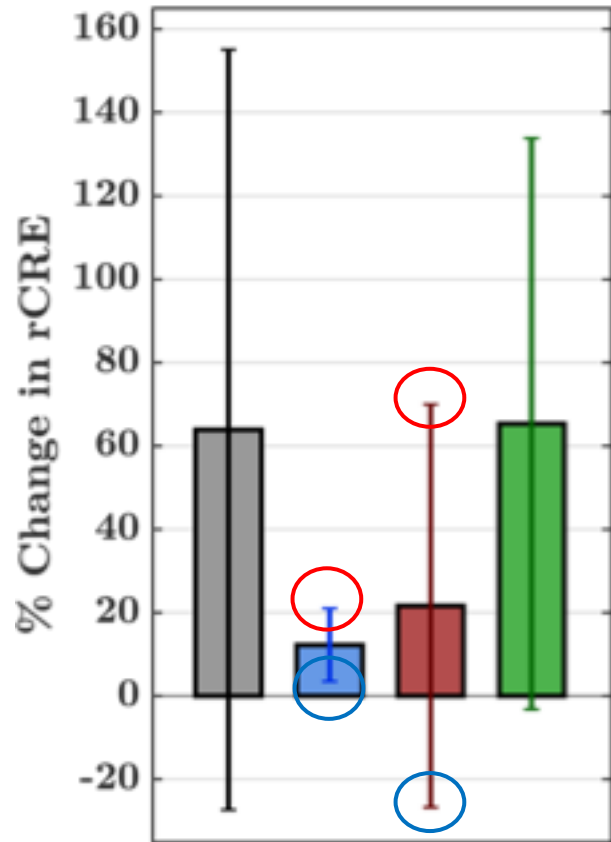
(Most common case)

A given N perturbation is able to increase the albedo a relatively **large** amount. The L response is **positive**.

Masking the radiative effect

(Less common)

The same size of N perturbation is only able to increase the albedo a **small amount**. The L response is **zero/negative**.

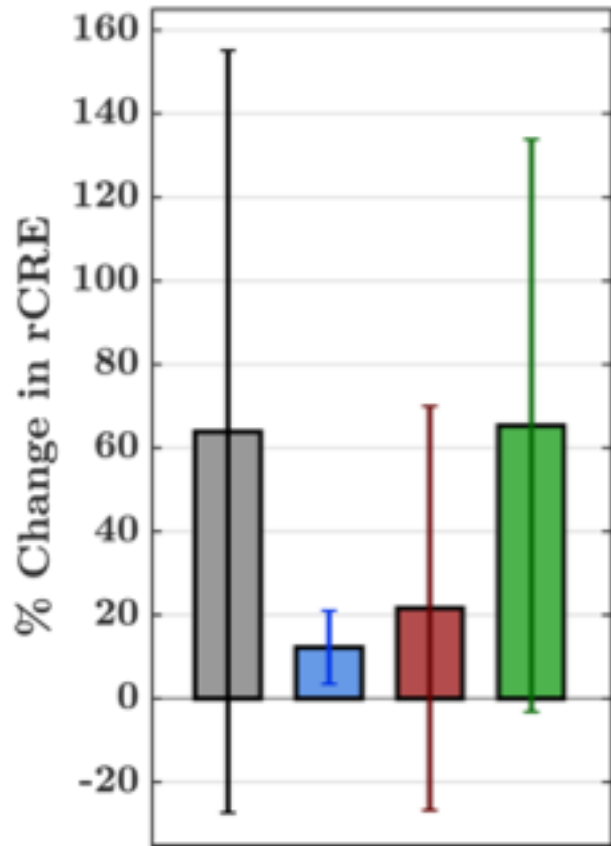


$$\frac{d \ln rCRE}{d \ln N} = \frac{\partial \ln \mathcal{A}}{\partial \ln N} + \frac{\partial \ln \mathcal{A}}{\partial \ln L} \frac{d \ln L}{d \ln N} + \frac{d \ln f}{d \ln N}$$

CMI (rCRE, f) | $N = 80\%$

Conclusions:

1. Detailed cloud simulations constrained by observations allow us to study the natural variation of aerosol-cloud-radiation interactions.
2. Mutual information analysis shows f and N variation explains 80% of the rCRE, while L and N variation explains 65%.
3. The radiative effects of N perturbations are **magnified** more often than **masked** by L and f responses



Poster #32 Wednesday
5:00 – 6:30 p.m.

A figure looking like this does imply aerosol effect is small... meteorological co-variability matters!